



Novelty Detection and Null Space

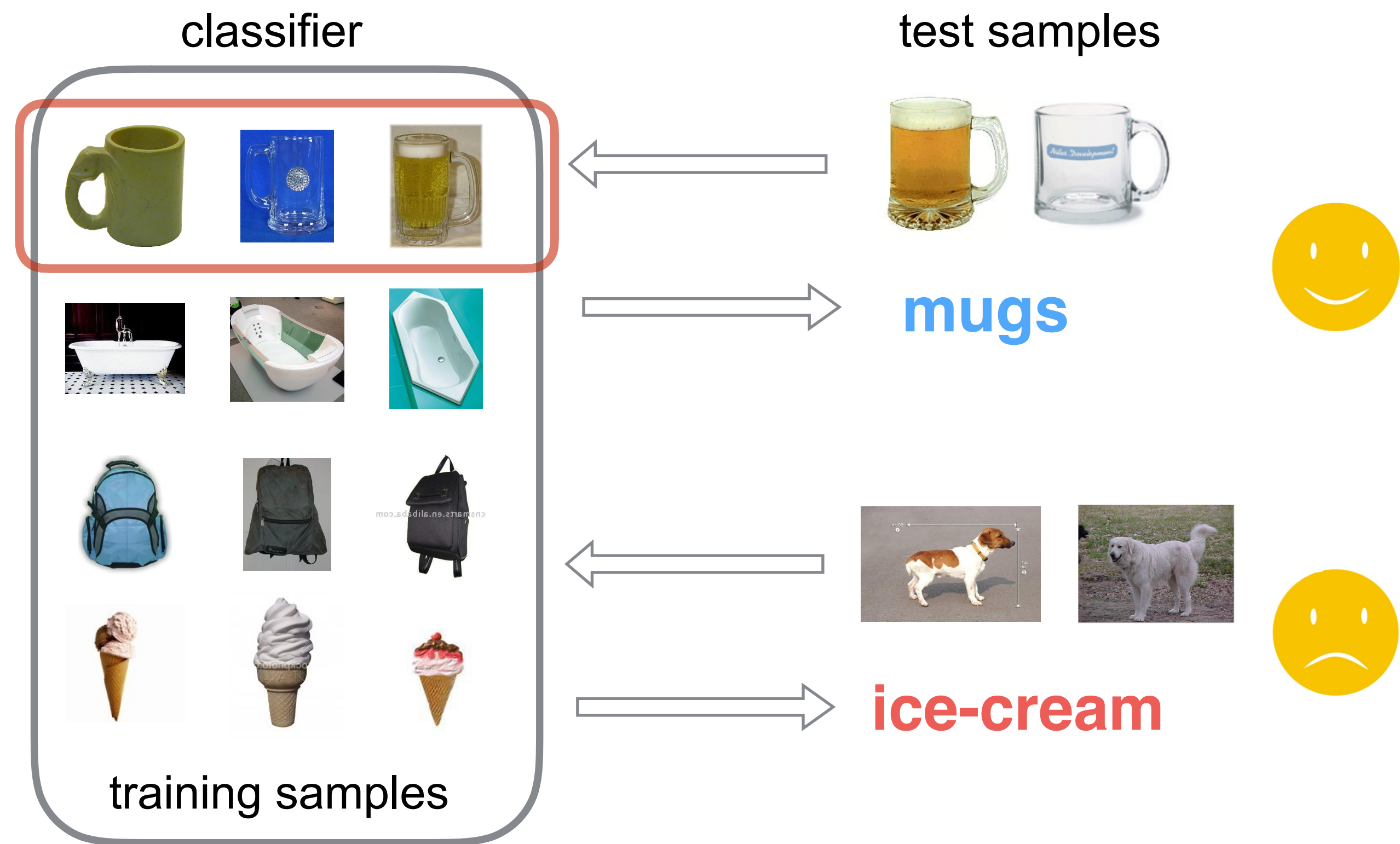


Fig1. Novelty detection. Novelty detection aims to identify new or unknown data that a system has not been trained with and was not previously aware of.

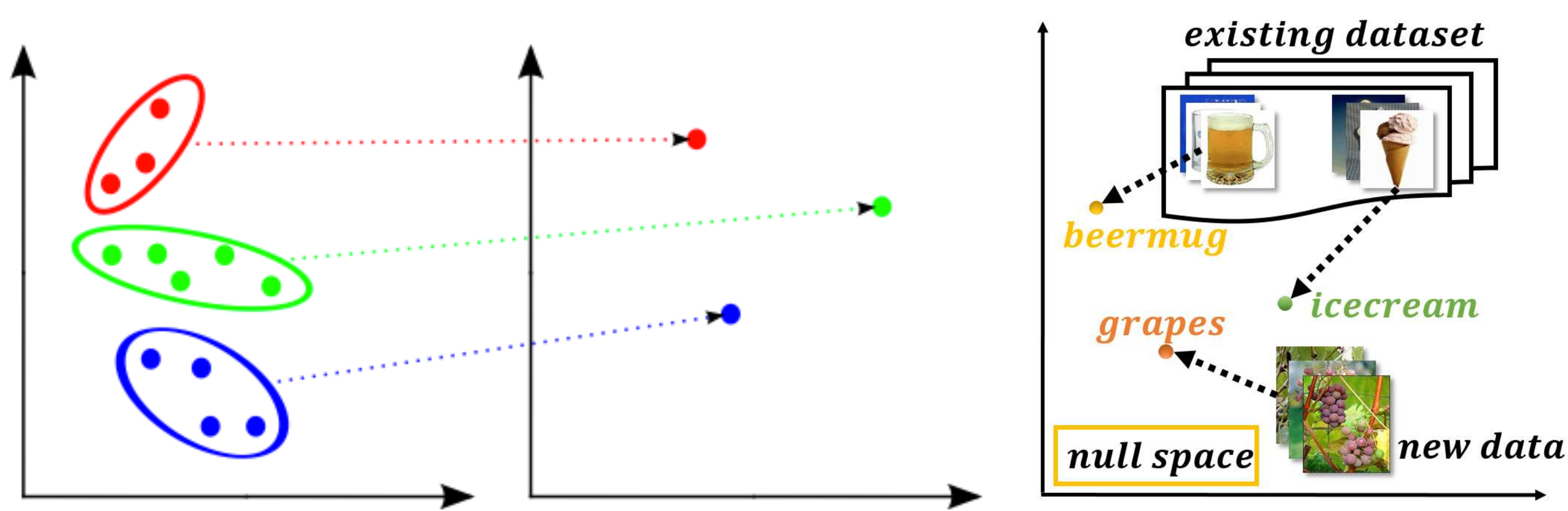


Fig2. Null Space DA. Novelty detection aims to identify new or unknown data that a system has not been trained with and was not previously aware of.

Make it Incremental !

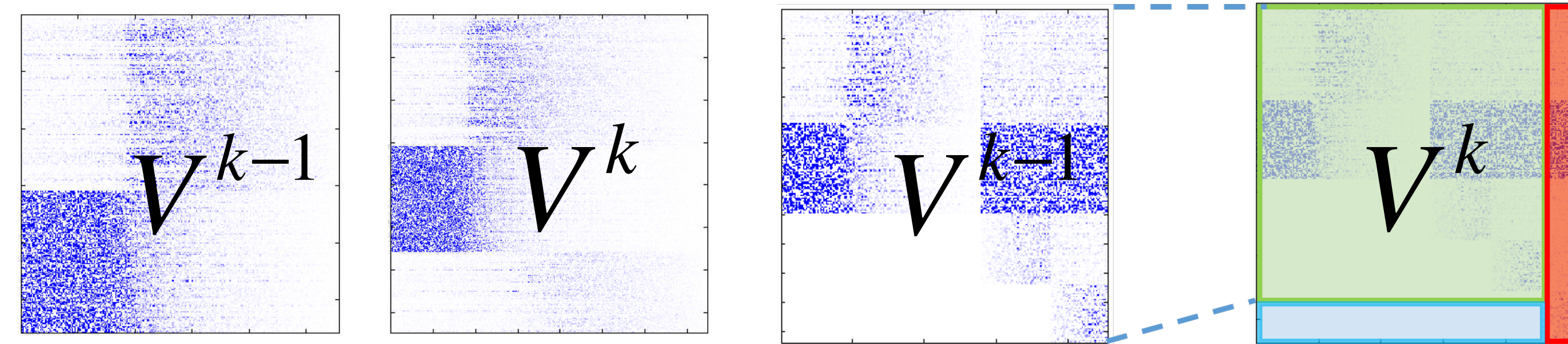


Fig3. An illustrative comparison of the batch KNDA with our IKNDA algorithm. The batch method computes bases without taking advantage of previously computed matrix V^{k-1} . While, our approach extracts new bases V_{new} from novel classes, marked in red square, then integrates with previously obtained information V^{k-1} (marked in green square).

- We found the null space problem has a very elegant structure, the new matrix can be augmented by the old one. Therefore the new null space can be updated in an efficient way:

$$D = \begin{pmatrix} D_0 & D_1 \\ 0 & D_2 \end{pmatrix} \quad D^T \beta = \begin{pmatrix} D_0^T & 0 \\ D_1^T & D_2^T \end{pmatrix} \begin{pmatrix} \beta_1 \\ \beta_2 \end{pmatrix} = 0$$

- The incremental null space problem can be boiled down to the following formula:

$$\begin{pmatrix} D_1^T \beta_0 & D_2^T \end{pmatrix} \begin{pmatrix} \alpha \\ \beta_2 \end{pmatrix} = 0$$

$$s.t. \quad \alpha^T \alpha + \beta_2^T \beta_2 = I$$

- Asymptotic complexity of IKNDA and the batch mode KNDA in terms of a , l , and N , where l is the incremental size.

	IKNDA	KNDA	SRKDA
time	$O(l^3 + alN)$	$O((l + N)^3)$	$O(N^2(l/2 + c))$
space	$O(Nl)$	$O((l + N)^2)$	$O(Nl)$

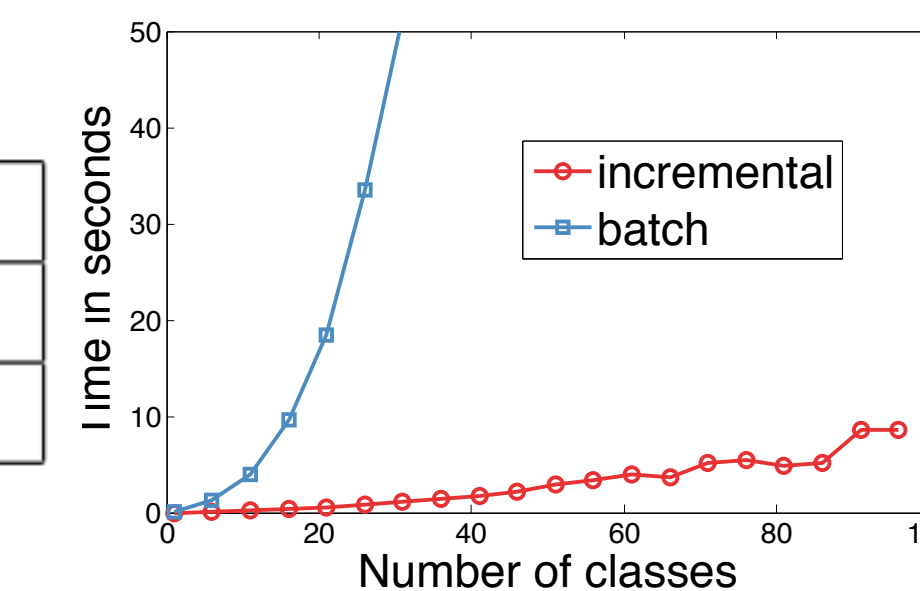


Fig4. Joint null space of 100 classes in the FounderType-200 dataset. Each class is mapped to a single point null space (visualized by t-SNE). Left: original CNN features. Right: Mapped joint null space.

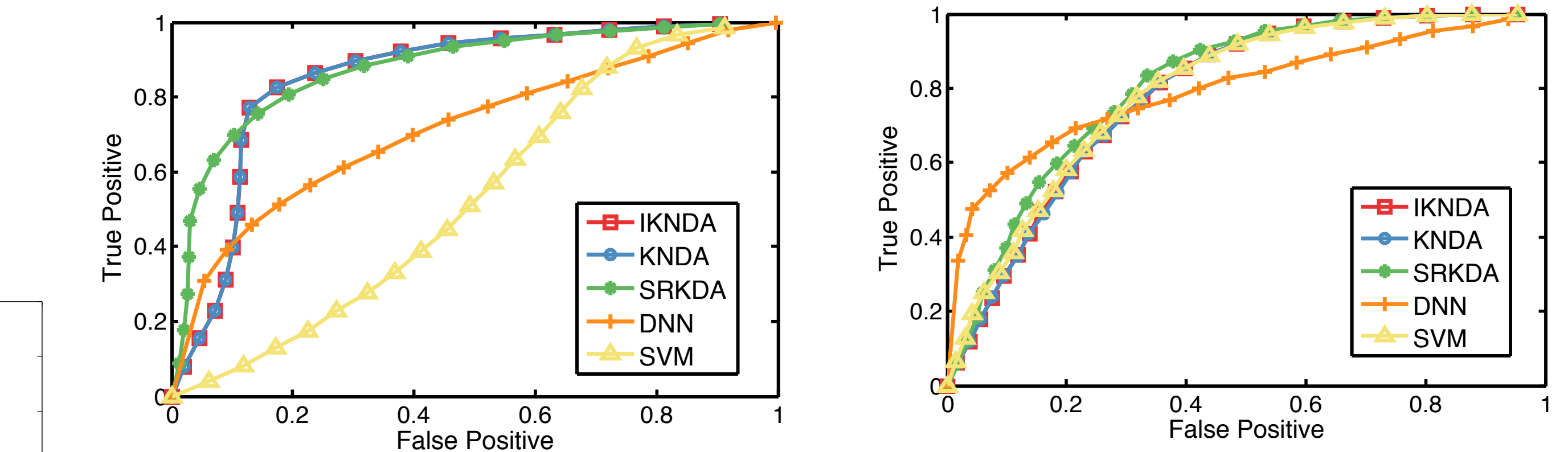


Fig5. ROC curves of five novelty detection methods evaluated on the FounderType-200 dataset (left) and Caltech-256 (right).